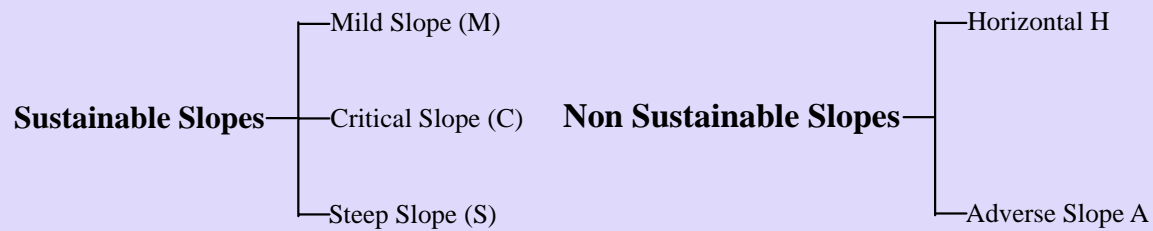


## 18.3 The channel- bed slopes may be classified into the following five categories



The slope that can uniform flow is called sustainable slopes. The mild slope sustains sub critical ( $F_r < 1$ ) uniform flow, denoted as M. The critical slope sustains uniform flow at critical depth ( $F_r = 1$ ) denoted as C. steep slope sustain the supercritical uniform flow ( $F_r > 1$ ) denoted as S.

When the slope is zero (Horizontal) then

$$\bar{V} = \frac{1}{n} R^{2/3} \sqrt{S_o} = \text{zero}$$

$$Q = \bar{V} y_n \quad \therefore y_n \rightarrow \infty \text{ indicated as } y_n^*$$

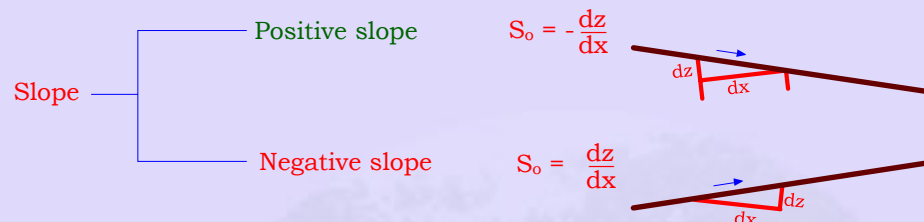
$$\bar{V} = \frac{1}{n} R^{2/3} \sqrt{S_o}$$

Thus  $y_n$  is imaginary or negative (from chezy's equation).

Slopes are also classified as

Sustaining slope	(i) Mild	always subcritical uniform flow is sustained $F < 1$
	(ii) Critical	always sustains critical uniform flow $F = 1$
	(iii) Steep	always sustains super critical uniform flow $F > 1$

Non-Sustaining slope	(i) Horizontal	Normal depth $y_n^* \rightarrow \infty$
	(ii) Adverse	



Energy slope	$S_e = \frac{dH}{dx}$
Friction slope	$S_f = \frac{dh_f}{dx}$
Bed slope	$S_o = \frac{dz}{dx}$
Water surface slope	$S_w = \frac{dy}{dx}$

